

QM/MM in MOLCAS

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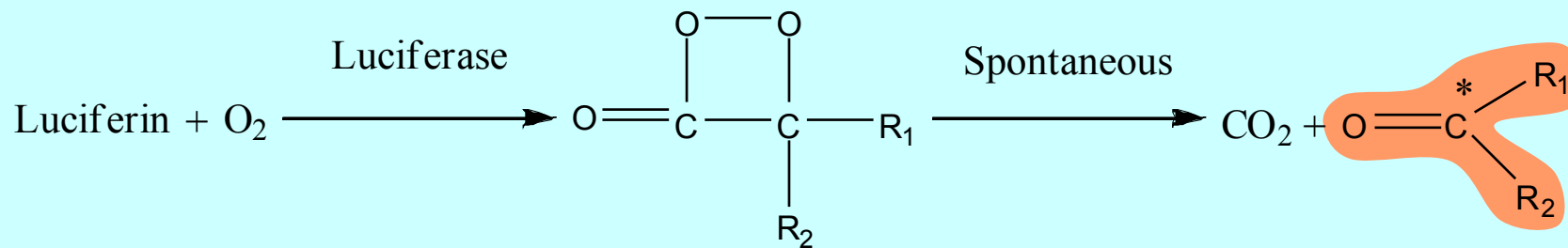
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- The ESPF method
- Current Model developments
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Introduction

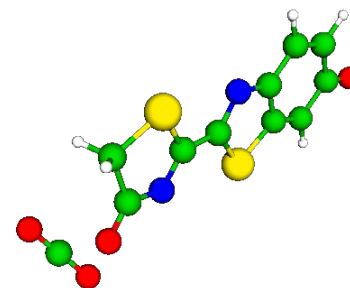
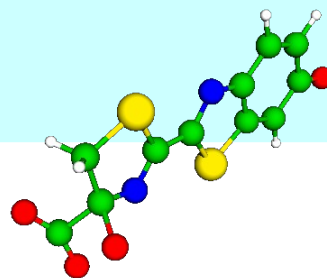
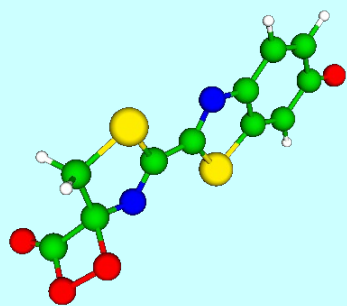
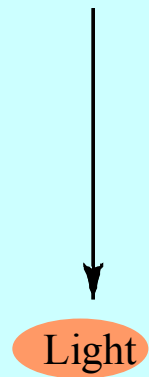
QM/MM methods is today used as a tool to study chemistry at action in large systems. I will give you here a brief example of what can be done.

This workshop will not include any exercises using QM/MM, however, a workshop addressing the practical parts of the technique is scheduled for the spring 2010 in Lund.

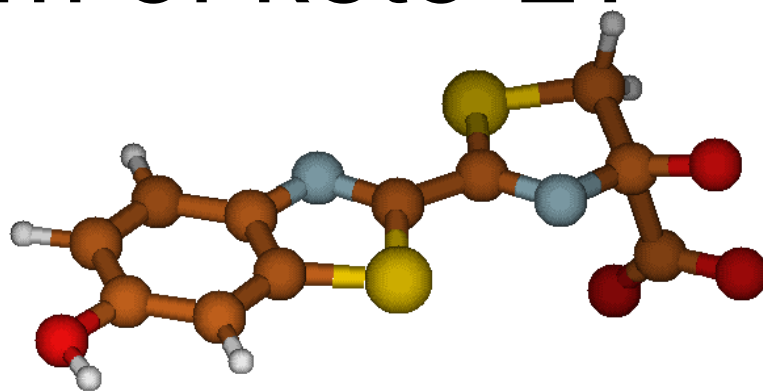
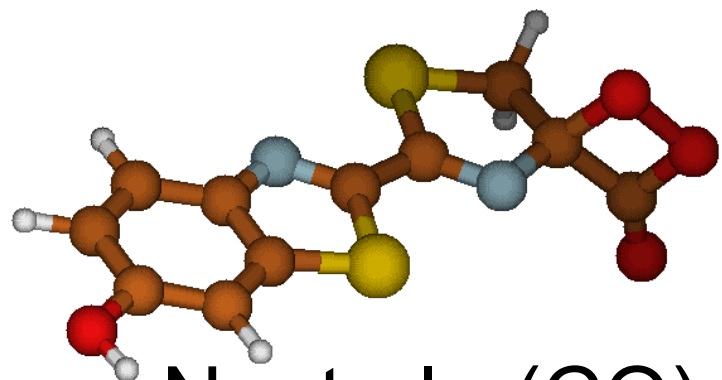
Luciferin chemistry by MOLCAS



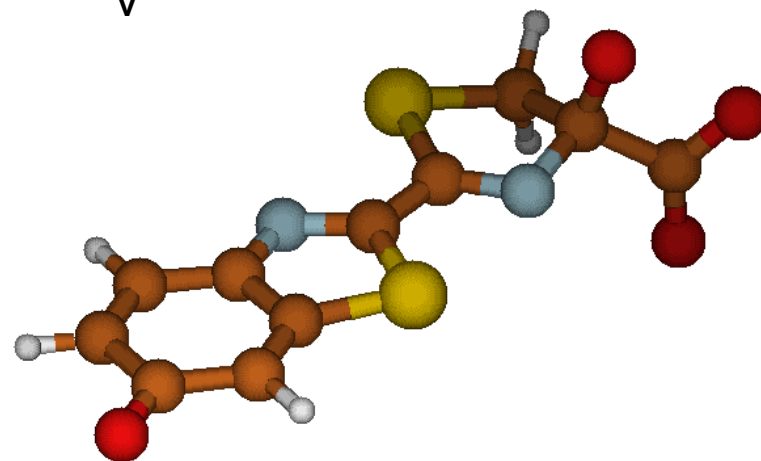
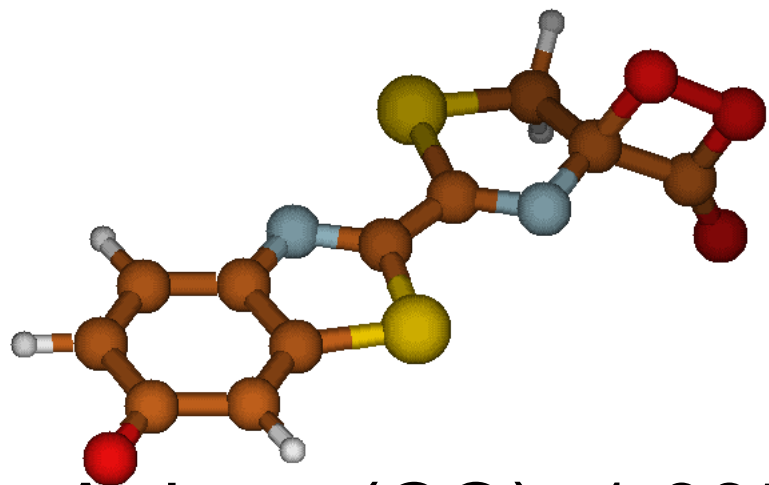
Oxyluciferin



Neutral or anion form of keto-L?

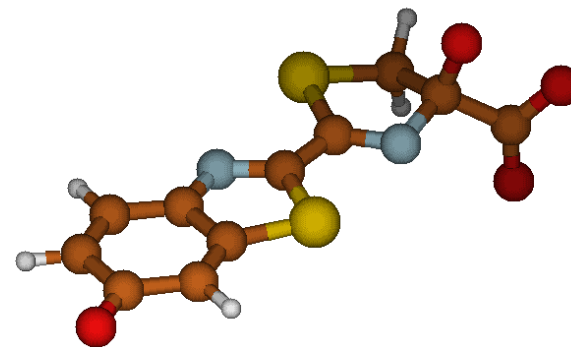
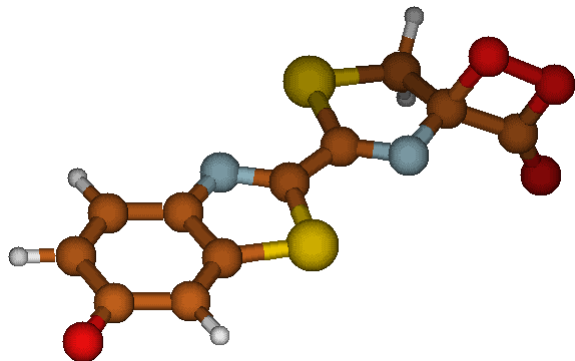


Neutral: $r(\text{CO})=1.324 \text{ \AA}$, $E_a=23.4 \text{ kcal/mol}$,
concerted dissociation. $T_v=3.32 \text{ eV}$



Anion: $r(\text{CO})=1.335 \text{ \AA}$, $E_a=7.3 \text{ kcal/mol}$, biradical
dissociation. $T_v=2.54 \text{ eV}$

Neutral or anion form of keto-L?



Oxy-LH2(-1): $r(\text{CO})=1.335 \text{ \AA}$, $E_a=7.3 \text{ kcal/mol}$, biradical
dissociation. $T_v=2.54 \text{ eV}$

- Activation energy consistent with a biochemical process.
- a long $r(\text{CO})$ bond closer to that of excited formaldehyde (1.362 \AA)
- dissociation process has the expected character
- emission in the right energy range
- Note the sp^2 vs. sp^3 hybridization of the oxygen anchor carbon at the TS for the concerted and biradical mechanism, respectively.

Polarization in the micro environment

TD-DFT calculated T_v values in eV.

keto-trans

keto-trans + CH_2Cl_2

keto-trans + H_2O

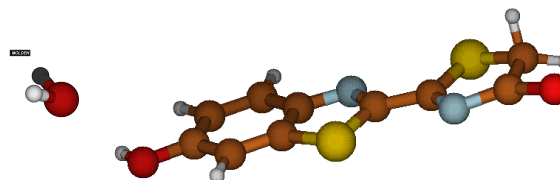
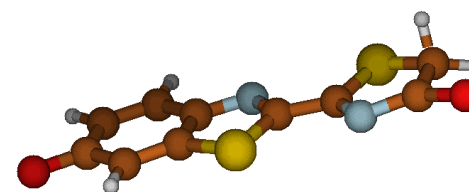
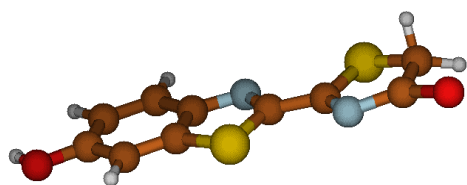
keto-trans(-1)

3.32 (3.35)

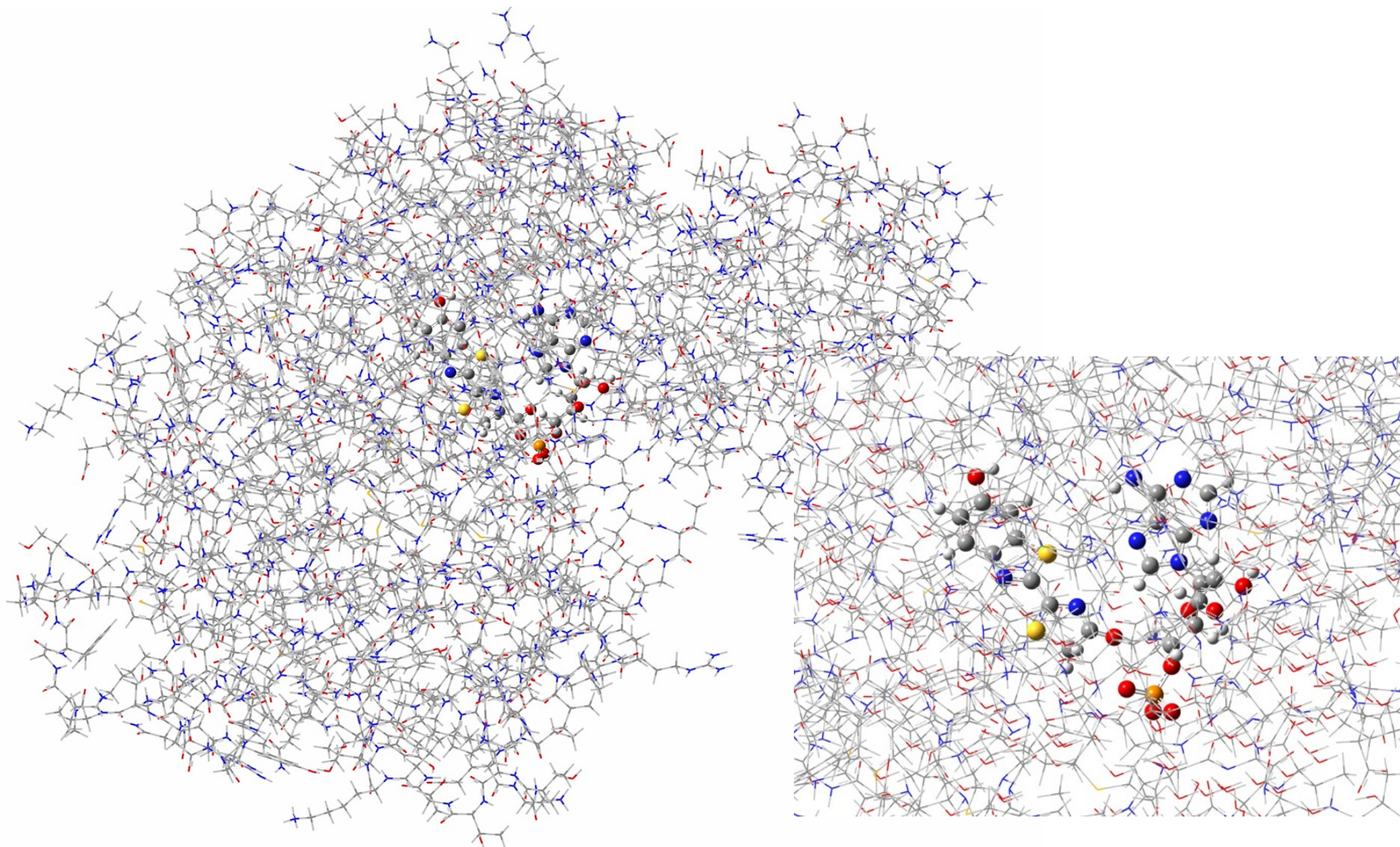
3.27

3.19

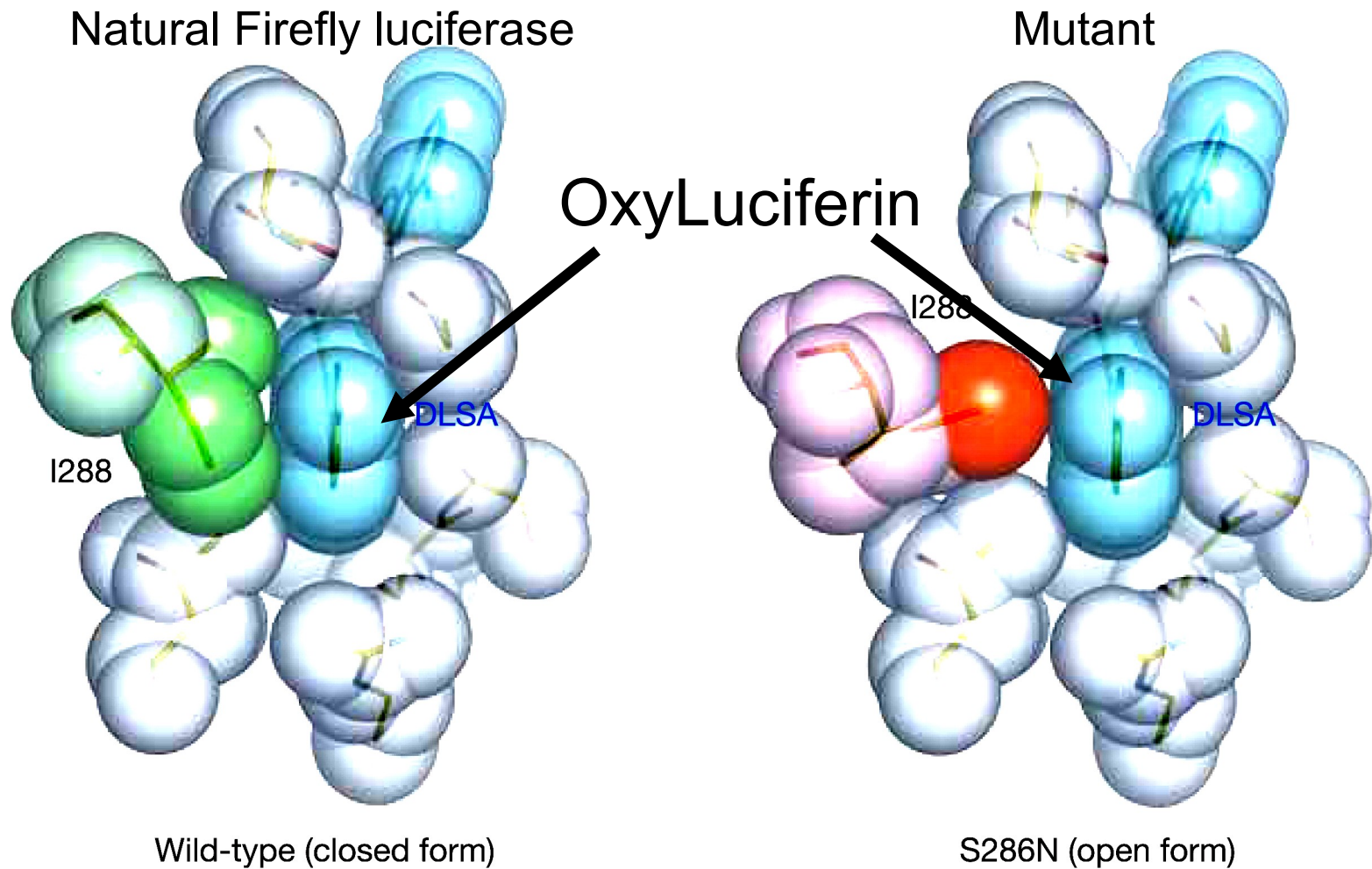
2.04 (2.99, 2.87)



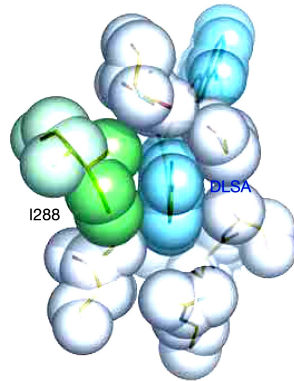
Luciferin-Luciferase Complex: CASPT2/Tinker QM/MM



What's the origin of the variation of the bioluminescence colour?



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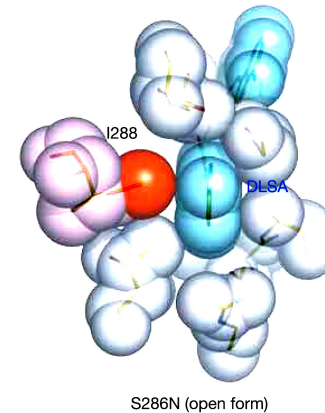


Wild-type (closed form)

- **The tight pocket of the wild-type luciferase should not allow too much structural relaxation of the oxyluciferin before it emits light and decays to its ground state.**

- **Most of the chemical energy is then transformed into light with a short wavelength.**

What's the origin of the variation of the bioluminescence colour?



- **The loose pocket of the mutant, on the other hand, should let the oxyluciferin structure to relax a bit before the decay on the ground state.**
- **Part of the chemical energy is “wasted”, and the emitted light wavelength is longer.**

The QM/MM principles (1)

$$E = \langle \Psi | \hat{H} | \Psi \rangle = \langle \Psi | \hat{H}_{QM} + \hat{H}_{MM} + \hat{H}_{QM/MM} | \Psi \rangle$$

- $\langle \Psi | \hat{H}_{QM} | \Psi \rangle = E_{QM}$: total energy of the isolated QM subsystem

- First approximation: the major part of the interactions are independent of the electronic coordinates

$$\langle \Psi | \hat{H}_{MM} | \Psi \rangle = E_{MM} \langle \Psi | \Psi \rangle = E_{MM} : \text{molecular mechanics force-field energy of the isolated MM part}$$

- Second approximation 'a la MM': only the QM/MM electrostatic interactions depend on the electronic coordinates

$$\langle \Psi | \hat{H}_{QM/MM} | \Psi \rangle = \langle \Psi | \hat{H}_{QM/MM}^{elect} | \Psi \rangle + E_{QM/MM}^{other}$$

The QM/MM principles (2)

$$E = \langle \Psi | \hat{H}_{QM} + \hat{H}_{QM/MM}^{elect} | \Psi \rangle + E_{QM}^{nuc} + E_{QM/MM}^{other} + E_{MM}$$

- The wavefunction is (almost always) polarized by its electrostatic surroundings
- Usually, the one-electron effective hamiltonian is modified

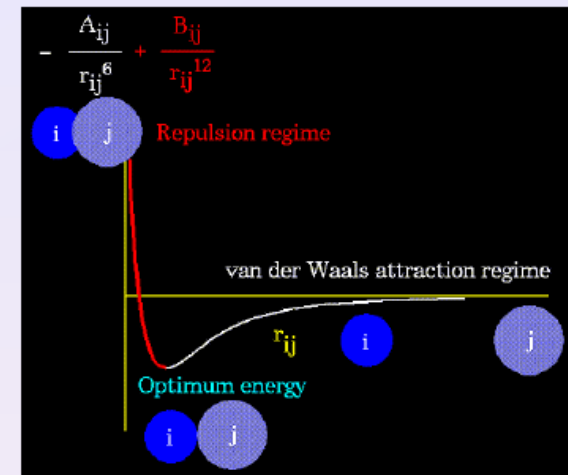
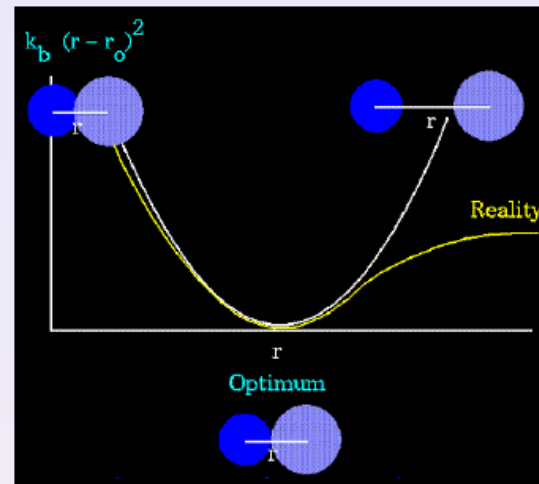
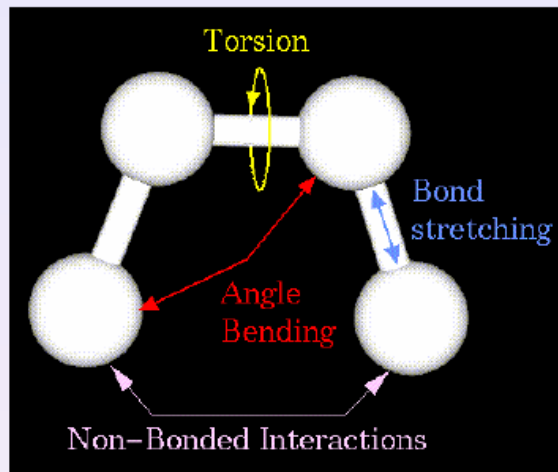
$$h_{\mu\nu}^{QM/MM} = \left\langle \chi_{\mu} \left| \sum_a \frac{q_a}{r_a} \right| \chi_{\nu} \right\rangle$$

- The QM/MM and MM 'classical' interactions usually share the same functional form

$$\begin{aligned} E_{QM/MM}^{other} &= E_{bonded} + E_{non-bonded} \\ &= E(\text{stretch}) + E(\text{bend}) + E(\text{torsion}) + \dots \\ &\quad + E(\text{van der Waals}) \\ &\quad + E(\text{QM nuclei} - \text{MM electrostatic potential}) \end{aligned}$$

The QM/MM principles (3)

What about the MM part ?



- Any MM forcefield is highly parametrized, for reproducing:
 - experimental data
 - QM results

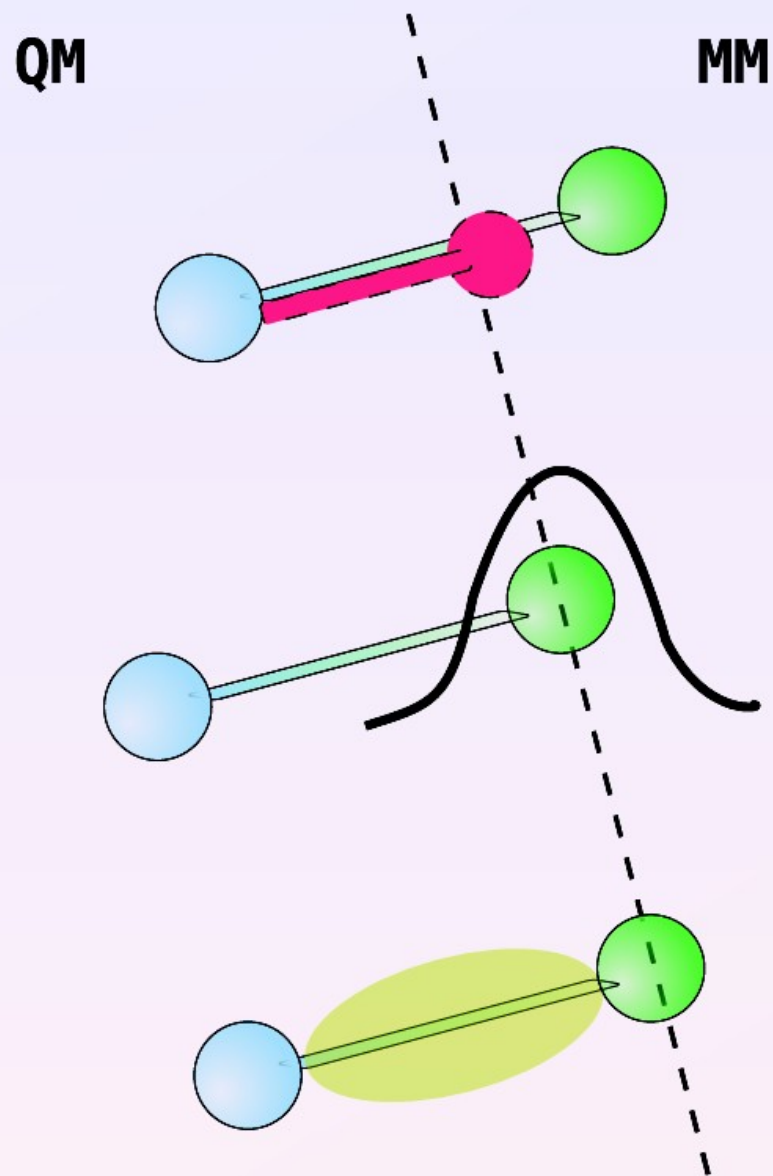
Caution for a QM/MM hybrid scheme ! One must be careful when using the standard parameters

The QM/MM principles (4)

QM/MM frontier ?

- Nothing if no bonds
- Link atom or link group
- Effective atomic or group pseudo-potentials
- Frozen orbitals

In principle, this requires (re-)parametrization of the MM force-field



Recent QM/MM developments

1. The ESPF scheme for sophisticated QM/MM electrostatics
2. The integrated ESPF QM/MM MD algorithm
3. The ESPF QM/MM scheme including a polarizable force-field

All these developments are now part of the Molcas package (version 7.0 and above), including the coupling to a modified Tinker program

The ESPF method⁴

- Direct method:

- $V_{\mu\nu}^{MM} = \left\langle \mu \left| \frac{q^{MM}}{r^{MM}} \right| \nu \right\rangle \propto N_{MM}$
- no multipoles (MM2 ...)
- $E^{elec} (A = QM; B = MM) \neq E^{elec} (A = MM; B = QM)$
- all the MM multipoles usually polarize the wavefunction, the closest ones may overpolarize !

- Approximate method: multipolar atomic operators Q^A fitted to the electrostatic potential (ESPF)

- $\Delta H_{\mu\nu} = \sum_A Q_{\mu\nu}^A \phi_{MM}^A = \sum_A \sum_K \left((\mathbf{T}^\dagger \mathbf{T})^{-1} \mathbf{T}^\dagger \right)^{AK} V_{\mu\nu}^K \phi_{MM}^A$
- $\phi_{MM}^A = \sum_i^{MM} \frac{q_i}{R_{iA}} + \dots + \text{PBC} + \dots$
- $V_{\mu\nu}^K = \left\langle \mu \left| \frac{1}{r_K} \right| \nu \right\rangle \propto N_K \ll N_{MM}$

⁴Ferré & Ángyán, *Chem. Phys. Lett.* **356** (2002)

The ESPF method features

- Geometries / relative energies in good agreement with the 'direct' method

$$\Delta \Delta E(S_0 \rightarrow S_1 \text{ or } S_2) < 1 \text{ kcal mol}^{-1}$$

- Atomic multipoles: $\mathbf{q}^A = \sum_{\mu\nu} P_{\mu\nu} Q_{\mu\nu}^A$
- QM/MM electrostatic interaction energy can be partitioned: $E_{QM/MM}^A = q^A \times V^A \Rightarrow$ unicity of the QM/MM electrostatic energy
- Easy implementation of a QM/MM MD algorithm

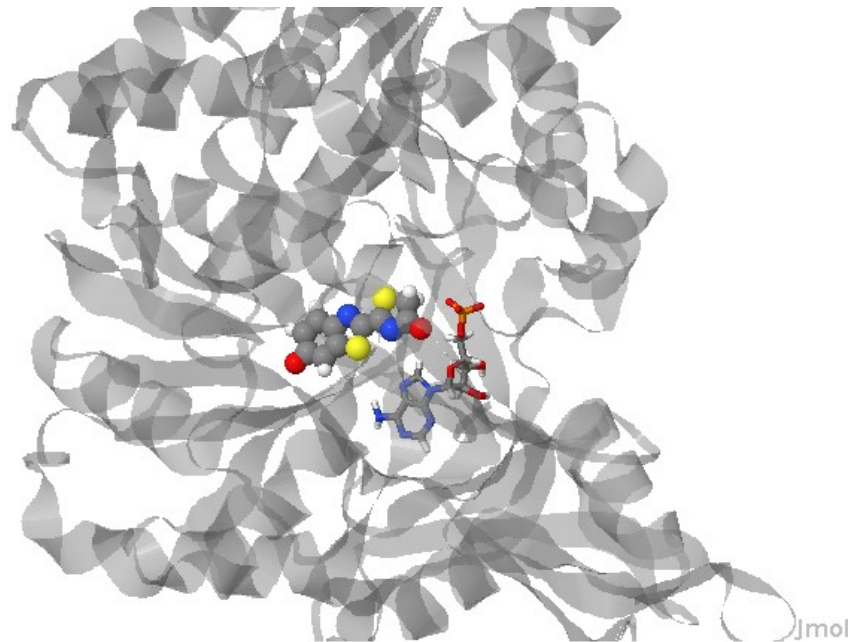
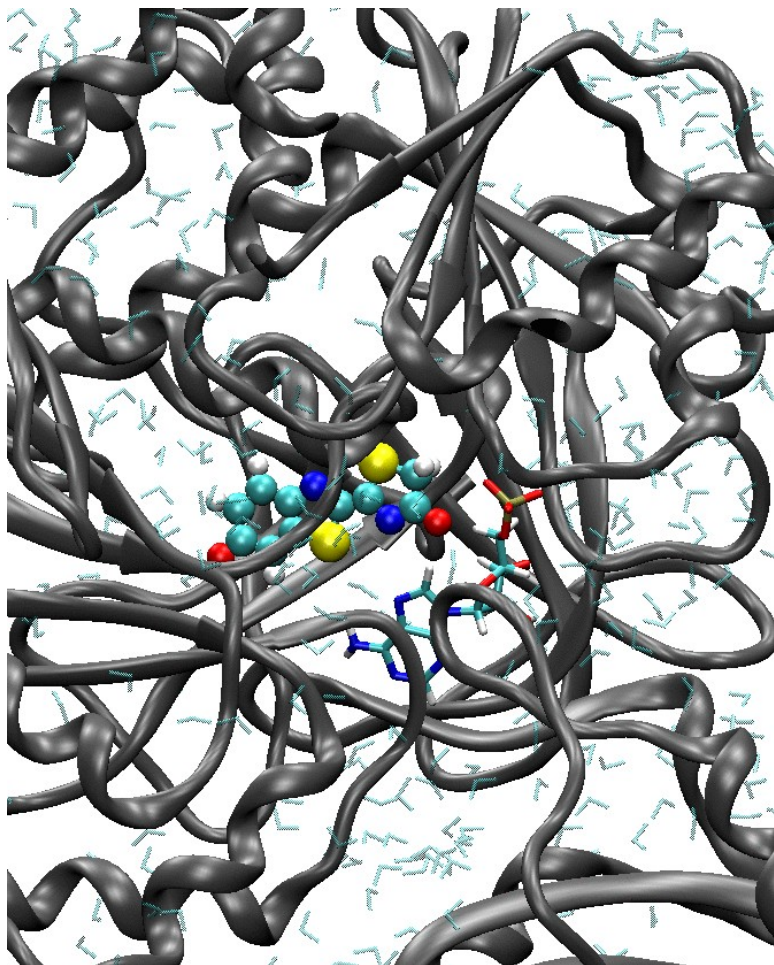
Problems → improvements

- Usual fitting problems (overdetermination) → SVD decomposition. But complicates the gradient formulation
- The fit depends heavily on the grid around the QM subsystem → constraints. But complicates the gradient formulation
- Which density matrix must be used when SA-CASSCF wavefunctions are computed ?
- A lot of other problems: still to be analyzed

Current model developments

- On-the-fly CASPT2 scaling of the CASSCF gradient for QM/MM MD trajectories
- Polarizable MM: ϕ_{MM}^A depends on the QM electronic state \rightarrow induced dipoles on the MM side
- (On-the-fly) QM-parametrized MM/MD trajectories \rightarrow statistical sampling

Luciferin-Luciferase Complex: CASPT2/Tinker QM/MM



QM/MM model: Solvated protein, 10329
atoms (626 water molecules),
QM system : OxyLH2(-1)

Results

- The same substrate in native and mutated enzyme exhibits the same emission spectra. That is the observed red-shift is not due to a structural difference of the active site/substrate upon mutation of the enzyme.

Conclusions

QM/MM for photochemistry available at

- <http://www.teokem.lu.se/molcas>
- http://sites.univ-provence.fr/lcp-ct/ferre/nf_tinker_qmmm.html